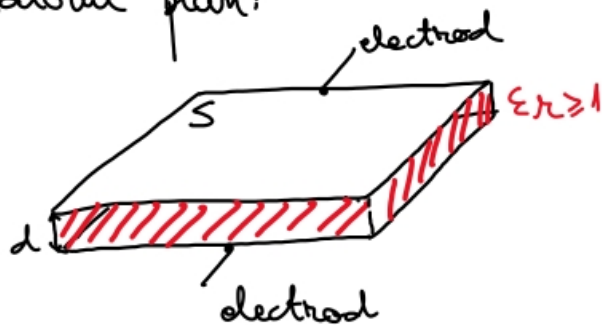


Senzori capacitivi

1.) condensatorul plan:

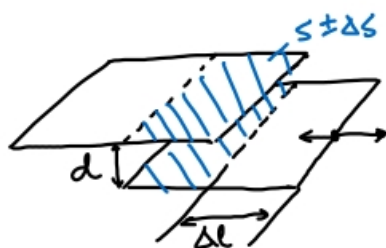


$$C = \frac{\epsilon \cdot S}{d} = \frac{\epsilon_0 \epsilon_r S}{d}$$

$$\epsilon_0 = 8.85 \times 10^{-12} \text{ F/m}$$

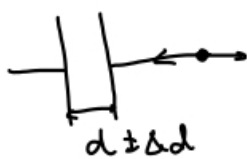
Exemple:

1.) Variația suprafeței S determinată de deplasarea unei armături (senzor de deplasare)



$$\Delta C = \frac{\epsilon_0 \epsilon_r \Delta S}{d}$$

2.) Variația distanței dintre armături



$$\Delta C = \frac{\epsilon_0 \epsilon_r S}{\Delta d}$$

(deplasări mici)

3.) senzor de presiune capacitiv:



4.) Variația lui ϵ_r

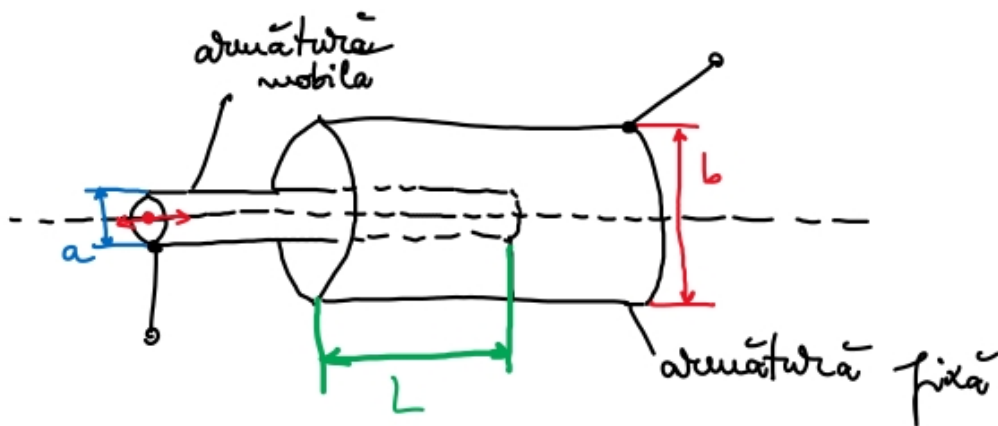
ϵ_r depinde $\left\{ \begin{array}{l} \text{temperatura} \\ \text{presiune} \\ \text{umiditate} \end{array} \right.$

\hookrightarrow material adecvat

Ex. pt. aer : $\epsilon_r = 1.0006$ $p = 1 \text{ atm}$, 19°C
 $\epsilon_r = 1.0548$ $p = 100 \text{ atm}$, 19°C

Măsurarea capacității $\left\{ \begin{array}{l} \text{puncti AC} \\ \text{circuite rezonante} \end{array} \right.$
 $\nu_{\text{rez}} = f(C)$

Condensatorul cilindric cu dielectric variabil

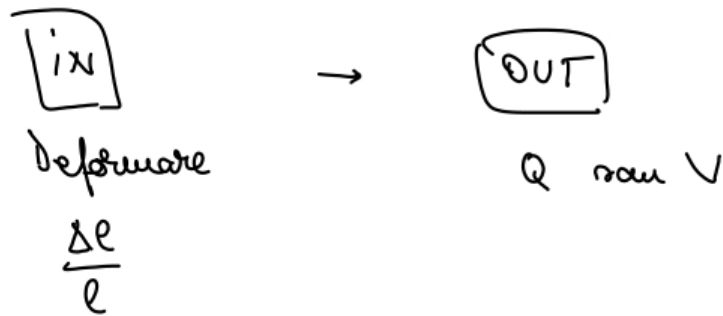


$$C = \frac{2\pi \epsilon_0 \epsilon_r}{\ln \frac{b}{a}} \cdot L \quad \rightarrow \text{variația lui } L \text{ duce la variația lui } C$$

$$\Delta C = \frac{2\pi \epsilon_0 \epsilon_r}{\ln \frac{b}{a}} \Delta L$$

Senzori piezoelectrici:

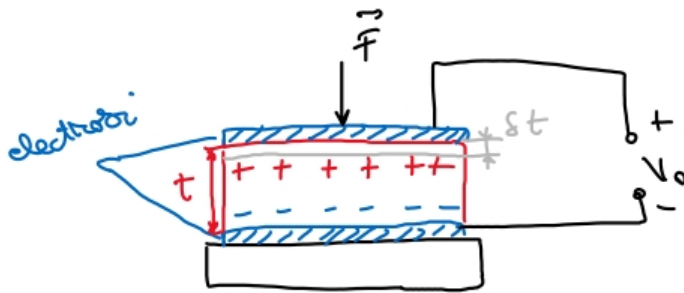
Piezoelectricitatea: acumularea de sarcină în solide ca urmare a deformării acestora.



IDEAL: material piezoelectric $\left\{ \begin{array}{l} \text{izolator} \\ \epsilon_r \text{ mare} \end{array} \right.$

- exemple $\left\{ \begin{array}{l} \text{PZT} \\ \text{BTO} \\ \text{cristal} \\ \text{sare Rochelle} \end{array} \right.$

$T > T_c \rightarrow$ piezoelectricitatea dispare



capacitatea senzorei: $C = \frac{\epsilon_0 \epsilon_r S}{t}$

Modulul lui Young: $Y = \frac{\frac{F}{S}}{\frac{\Delta t}{t}} = [\text{Pa}]$

Sarcina generată de forța F :

$$Q = d \cdot F$$

d - sensibilitatea în sarcină (catalogată "charge sensitivity")

$$[d] = \frac{C}{N}$$

În regiune de lucru în gol:

$$V_0 = \frac{Q}{C} = \frac{dF}{\frac{\epsilon_0 \epsilon_r S}{t}} = \frac{dF t}{\epsilon_0 \epsilon_r S} = \frac{dt}{\epsilon_0 \epsilon_r} \cdot \frac{F}{S} = g \cdot \frac{F}{S} \cdot t$$

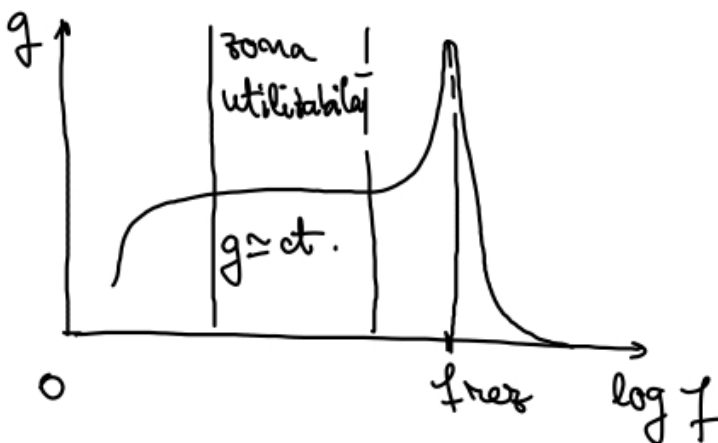
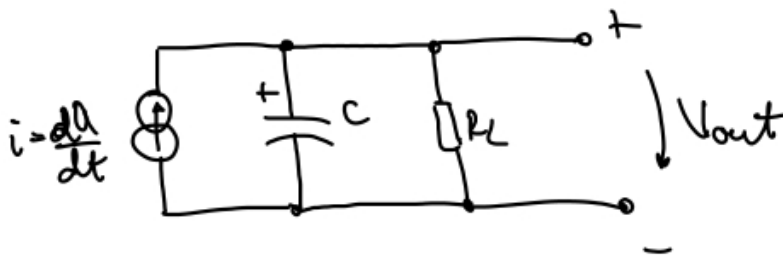
g - sensibilitatea în tensiune
(„voltage sensitivity“)

$$[g] = \frac{V}{N} \cdot m$$

Forță aplicată \Rightarrow variație de sarcină $\frac{dQ}{dt} \Rightarrow$ curent echivalent

$$i_{eq} = \frac{dQ}{dt} = d \cdot \left(\frac{dF}{dt} \right)$$

Schema echivalentă a unui senzor piezoelectric



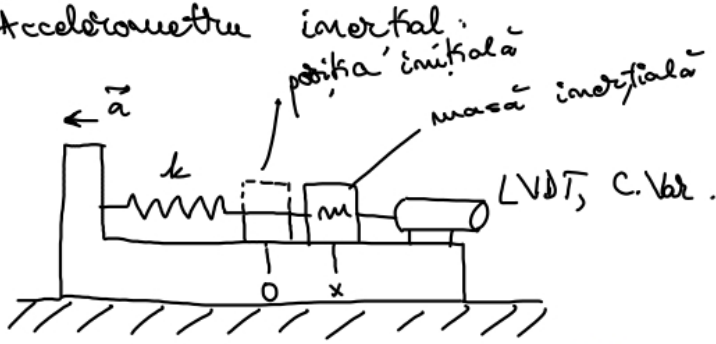
Traductor piezo:

senzor piezo + amplificator de sarcină

„charge (mode) amplifier“

Accelerometre:

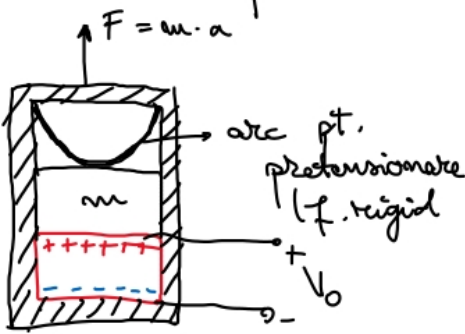
1) Accelerometru inertial:



$$F = m \cdot a = kx \Rightarrow a = \frac{kx}{m}$$

gătim m, k
 x - se măsoară

2) Accelerometru piezoelectric

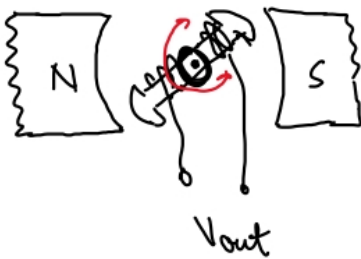


$$Q = d \cdot F = d \cdot m \cdot a \quad \left. \begin{array}{l} \\ \\ \end{array} \right\} \Rightarrow \text{putem măsura } \underline{a}$$

d, m se cunosc

Generatoare tahometrice:

1) Generatorul tahometric DC



curentul indus în rotor
 este proporțional cu ω_{rot} .

$$\omega_{rot} = 0 - 6000 \text{ rpm}$$

$$V_{out} = k \cdot \omega_{rot}$$

- senzorul lui V_{out} indică sensul de rotație

IN

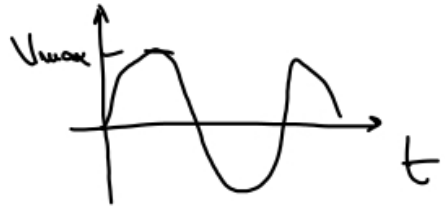
ω_{rot}

OUT

V_{dc} (după filtrare)

1) Generatorul tahometric AC:

$$V_{out}^{max} = k \cdot \omega_{rot}$$



2) Tahometru AC:

$$V_{out} = k \cdot \omega_{rot}$$

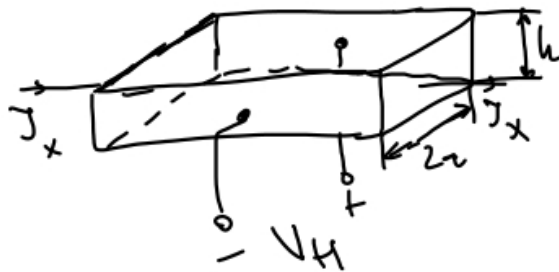
$$\Delta \varphi = 0 \rightarrow \text{sens +}$$

$$\Delta \varphi = 180^\circ \rightarrow \text{sens -}$$

$$\omega_{rot} \approx 0 - 4000 \text{ rpm}$$



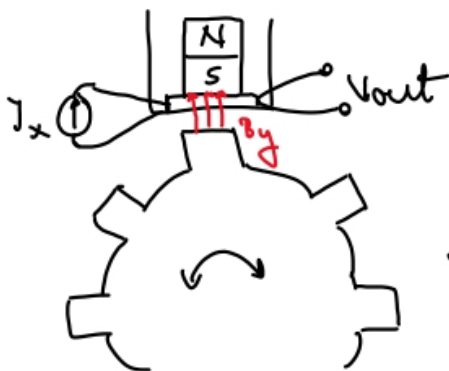
Senzori cu efect Hall:



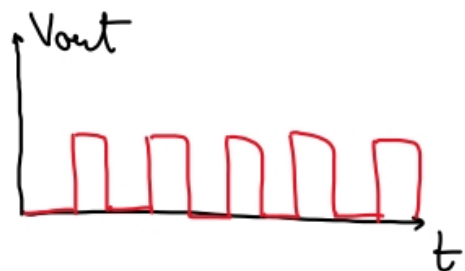
$$V_H = \frac{R_H \cdot J_x \cdot B_y}{h}$$

R_H - constanta Hall
(coef.)

3) Senzor de rotatie cu efect Hall

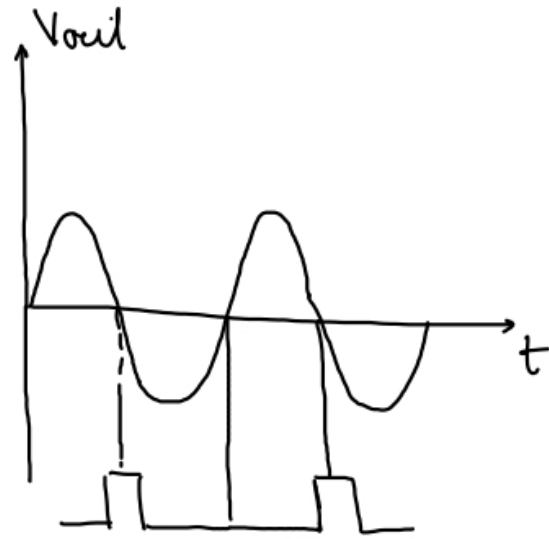
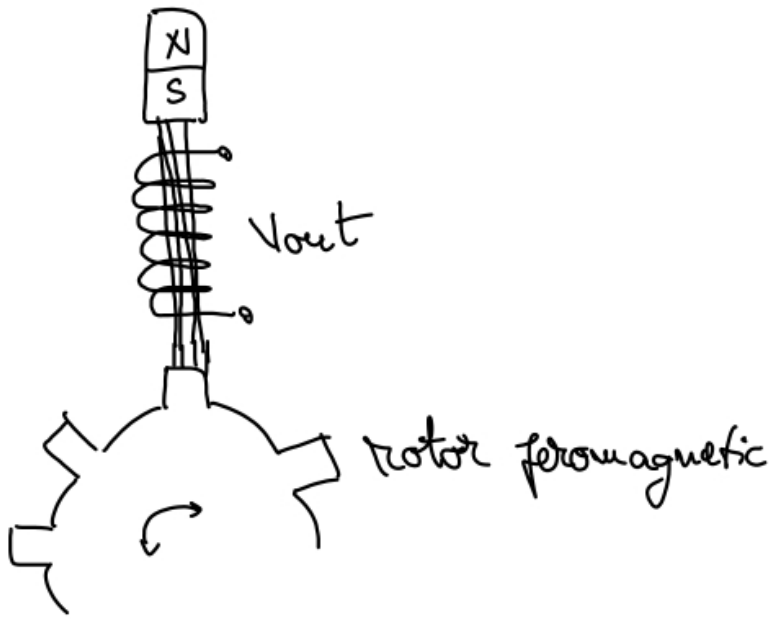


rotor
feromagnetic



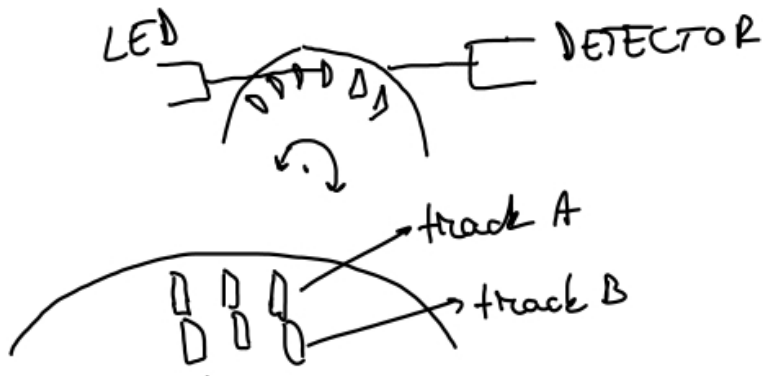
1.) Senzor cu reluctanță variabilă

$$R = \frac{F}{\phi} \rightarrow \text{forță magnetică} \quad \left[\frac{1}{H} \right]$$

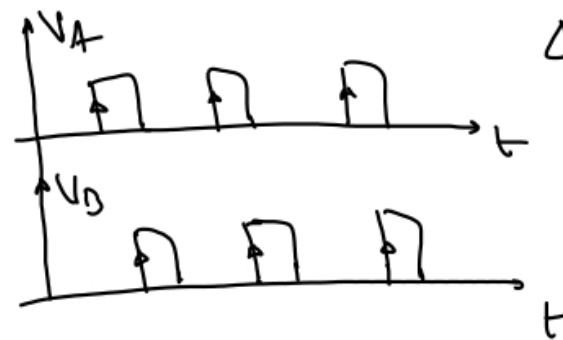


Senzori optici:

1.) Encoder optic cu rotație:



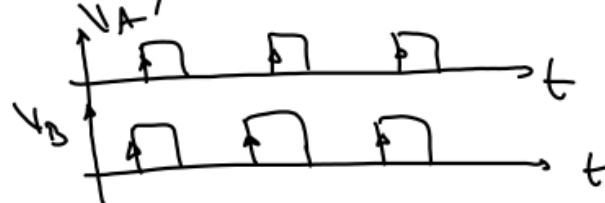
rotație către stânga



$$\Delta \varphi > 0$$

$$\Delta \varphi = \varphi_B - \varphi_A$$

rotație către dreapta



$$\Delta \varphi < 0$$